# Vérification de programmes C concurrents avec Cubicle : Enfoncer les barrières

JFLA 9 janvier 2014

# David Declerck

Université Paris-Sud

Travail réalisé conjointement avec :

- ► Sylvain Conchon, Alain Mebsout (Université Paris-Sud)
- ► Luc Maranget (INRIA)

Data structure used to synchronize the execution of a group of threads at a program point.

POSIX libraries implement barriers defined as

- > a data type barrier\_t
- ► an initialization function barrier\_init
- ► a synchronization function barrier\_wait

### Sense-Reversing Barriers

Demo.

Good synchronization:

There does not exist a thread before the barrier and another thread after the barrier

Annotations in C source of these program points with

```
///exclusive
wait_barrier(...);
///exclusive
```

Proving safety of synchronization barriers

- written in C
- for any number of threads
- automatically by model checking

We assume sequential consistency :

- Interleaving semantics
- Preservation of operations order

A limited fragment of C (basically, just what we need for the implementation of our benchmarks)

- int and void data types
- restricted usage of structures
- pointers limited to passing by reference
- ► loops, assignments, conditionals,
- arithmetic and relational operations

# Target language

- Transition systems with states described by global variables (of type int, bool and enumerations) and infinite arrays indexed by thread identifiers
- Transitions are encoded by logical formulas and they can be parameterized by thread identifiers (existential quantification)

$$\exists i. \quad \mathbf{T}[i] = \mathsf{true} \land \mathbf{X} \le 100 \land \forall k. \ k \neq i \implies \mathbf{T}[k] = \mathsf{false} \\ \land \mathbf{X}' = \mathbf{X} + 1 \land \mathbf{T}'[i] = \mathsf{false}$$

(here T' and X' denote respectively the value of array T and variable X after the execution of the transition)

We can only check safety properties characterized by bad states

A set of global variables shared between threads, and for each thread  $\mathtt{i}$ 

► a program counter PC[i] of type t, where

type t = Idle | End | L1 | L2 | ...

► a stack represented by a set of k global variables STACK\_j[i]

x = x + 1 || ...

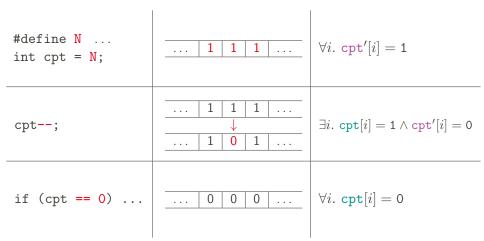
corresponds to the following instructions

which are compiled as three transitions

$$\begin{aligned} \exists i. \ \mathsf{PC}[i] &= \mathsf{L0} \land \mathsf{STACK}_{\mathsf{O}'}[\mathtt{i}] = \mathtt{x} \land \mathsf{PC}'[i] = \mathsf{L1} \\ \exists i. \ \mathsf{PC}[i] &= \mathsf{L1} \land \mathsf{STACK}_{\mathsf{O}'}[\mathtt{i}] = \mathsf{STACK}_{\mathsf{O}}[\mathtt{i}] + \mathtt{1} \land \mathsf{PC}'[i] = \mathsf{L2} \\ \exists i. \ \mathsf{PC}[i] &= \mathsf{L2} \land \mathtt{x}' = \mathsf{STACK}_{\mathsf{O}}[\mathtt{i}] \end{aligned}$$

# Compiling Thread Counters

How to encode the arbitrary number of threads  $\mathbb{N}$  ?



### Proving the Sense-Reversing Barrier

Demo.

	Nodes	Inv.	Restarts	Time
sb_alt.c	598	180	53	11m27s
sb.c	414	156	34	5m21s
sb_nice.c	303	139	49	28m8s
sb_single.c	174	99	54	17m44s
sb_loop.c	-	-	-	TO

- 1. We designed a (simple) typing analysis to determine when a variable of type **int** is used as a **Boolean** 
  - SMT solver more efficient on booleans
  - Invariant generation of model checker is not good with integers
- Elimination of spurious traces arising from crash failure model present to handle universal quantifiers of thread counters' encoding
  - ▶ Reduce number of backtracking (restarts) in model checker

	with typing			without typing			
	Inv.	Restarts	Time	Inv.	Restarts	Time	
sb_alt.c	152	7	7.64s	180	53	11m27s	
sb.c	226	10	20.7s	156	34	5m21s	
sb_nice.c	106	9	11.6s	139	49	28m8s	
sb_single.c	115	5	3.11s	99	54	17m44s	
sb_loop.c	1577	33	14m49	-	-	TO	

### Benchmarks: crash failure model optimization

	Refinement			No refinement		
	Inv.	Restarts	Time	Inv.	Restarts	Time
sb_alt	37	1	2,17s	152	7	7,64s
sb.c	64	1	3,99s	226	10	20,7s
sb_nice.c	51	1	2,54s	106	9	11,6s
sb_single.c	36	1	1,12s	115	5	3,11s
sb_single_us.c	_	0	<b>4,94</b> s	_	0	5,06s
sb_loop.c	275	1	<b>59,8</b> s	1577	33	14m49s

- ► Experiment with other types of synchronization barriers
- ► Larger subset of C
- ► C11 standard (semantic for concurrent programs)
- Improve Cubicle's invariants generation mechanism for numerical candidates

# Merci.

```
int x, y, z;
x = 0; x is int or bool
y = x;
z = y;
if (z) { x = x + 1; }
```

```
int x, y, z;
x = 0; x is int or bool
y = x;
z = y; x, y and z have the same type
if (z) { x = x + 1; }
```

#### The program is rejected

```
int x, y;
y = 0;
if (y == 0) { x = 0; }
```

int x, y; y = 0; y is int or bool if (y == 0) { x = 0; }

int x, y; y = 0; y is int or bool if (y == 0) { x = 0; } y is int and x is int or bool

int x, y; y = 0; y is int or bool if (y == 0) { x = 0; } y is int and x is int or bool

> The program is well typed x:int (for safety reasons) y:int

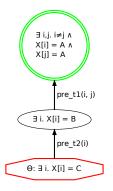
#### The program is rejected

Crash Failure Model

 $\begin{cases} \text{type t} = A \mid B \mid C \\ \forall i. \ X[i] = A \quad (\text{inital states}) \\ t_1 : \exists i, j. \ i \neq j \land X[i] = A \land X[j] = A \land X'[i] = B \\ t_2 : \exists i. \ X[i] = B \land \forall j. \ j \neq i \implies X[j] \neq A \land X'[i] = C \end{cases}$ 

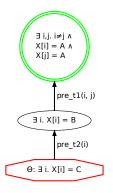
Crash Failure Model

 $\begin{cases} \text{type t} = A \mid B \mid C \\ \forall i. \ X[i] = A \quad (\text{inital states}) \\ t_1 : \exists i, j. \ i \neq j \land X[i] = A \land X[j] = A \land X'[i] = B \\ t_2 : \exists i. \ X[i] = B \land \forall j. \ j \neq i \implies X[j] \neq A \land X'[i] = C \end{cases}$ 



Crash Failure Model

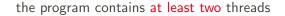
 $\begin{cases} \texttt{type t} = \texttt{A} \mid \texttt{B} \mid \texttt{C} \\ \forall i. \ \texttt{X}[i] = \texttt{A} \quad (\texttt{inital states}) \\ t_1 : \exists i, j. \ i \neq j \land \texttt{X}[i] = \texttt{A} \land \texttt{X}[j] = \texttt{A} \land \ \texttt{X}'[i] = \texttt{B} \\ t_2 : \exists i. \ \texttt{X}[i] = \texttt{B} \land \ \forall j. \ j \neq i \implies \texttt{X}[j] \neq \texttt{A} \land \ \texttt{X}'[i] = \texttt{C} \end{cases}$ 



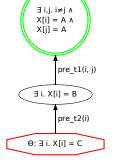
the program could contain only one thread

#### Crash Failure Model

 $\begin{cases} \texttt{type t} = \texttt{A} \mid \texttt{B} \mid \texttt{C} \\ \forall i. \ \texttt{X}[i] = \texttt{A} \quad (\texttt{inital states}) \\ t_1 : \exists i, j. \ i \neq j \land \texttt{X}[i] = \texttt{A} \land \texttt{X}[j] = \texttt{A} \land \ \texttt{X}'[i] = \texttt{B} \\ t_2 : \exists i. \ \texttt{X}[i] = \texttt{B} \land \ \forall j. \ j \neq i \implies \texttt{X}[j] \neq \texttt{A} \land \ \texttt{X}'[i] = \texttt{C} \end{cases}$ 

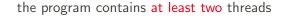




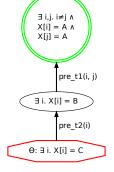


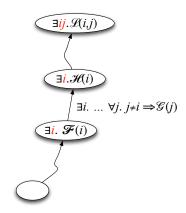
#### Crash Failure Model

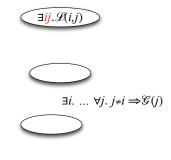
 $\begin{cases} \texttt{type t} = \texttt{A} \mid \texttt{B} \mid \texttt{C} \\ \forall i. \ \texttt{X}[i] = \texttt{A} \quad (\texttt{inital states}) \\ t_1 : \exists i, j. \ i \neq j \land \texttt{X}[i] = \texttt{A} \land \texttt{X}[j] = \texttt{A} \land \ \texttt{X}'[i] = \texttt{B} \\ t_2 : \exists i. \ \texttt{X}[i] = \texttt{B} \land \ \forall j. \ j \neq i \implies \texttt{X}[j] \neq \texttt{A} \land \ \texttt{X}'[i] = \texttt{C} \end{cases}$ 



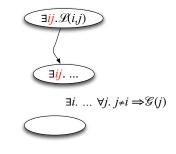


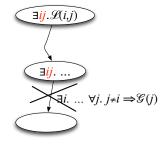






 $\bigcirc$ 





 $\bigcirc$ 

